

《基于谱图理论的大规模复杂网络重要节点组挖掘算法》的补充材料

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MFG 算法伪代码如下所示

INPUT: 网络邻接矩阵 $\mathbf{A}$, 受控节点个数 k , 子集数 m , 每子集节点数 p , 搜索步数 s .

OUTPUT: 目标筛选节点组 Γ

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global_attributes = ComputeGlobalAttributes( $\mathbf{A}$ );
node_features_list = ComputeNodeFeatures( $\mathbf{A}$ );
normalized_features_list = NormalizeFeatures(node_features_list, global_attributes);
fusion_metric = ComputeFusionMetric(normalized_features_list);
subsets_list = PartitionNodeSet( $\mathbf{A}$ ,  $m$ );
 $S = []$ ;
for each subset in subsets_list:
    top_p_nodes = SelectTopNodes(subset, fusion_metric,  $p$ );
     $S$ .extend(top_p_nodes)
 $S = \text{RemoveDuplicatesAndSort} (S, \text{fusion\_metric})$ ;
 $\Gamma = \text{set} ( )$ ;
Count=0;
while  $|\Gamma| < k$ :
    best_node = None;
    current_min_eigenvalue = FLOAT_MAX;
    for each node  $v$  in  $S$ :
        if  $v$  in  $\Gamma$ :
            continue;
         $\Gamma_{\text{temp}} = \Gamma + \{v\}$ ;
        Count=Count+1;
         $\lambda_1 = \text{ComputeMinEigenvalue}(\mathbf{A}, \Gamma_{\text{temp}})$ ;
        if  $\lambda_1 < \text{current\_min\_eigenvalue}$ :
            current_min_eigenvalue =  $\lambda_1$ ;
            best_node =  $v$ ;
     $\Gamma$ .add(best_node);
    second_hop_neighbors = GetNeighbors ( $\mathbf{A}$ , best_node)
    candidate_nodes = [ $u$  for  $u$  in second_hop_neighbors if  $u$  not in  $S$  and  $u$  not in  $\Gamma$ ]
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 $u = \text{SelectNodeWithMinResistanceDistance}(\text{candidate\_nodes});$ 
 $\lambda_u = \text{ComputeMinEigenvalue}(\mathbf{A}, \Gamma - \{\text{best\_node}\} + \{u\});$ 
 $\lambda_{\text{bestnode}} = \text{ComputeMinEigenvalue}(\mathbf{A}, \Gamma);$ 
if  $\lambda_u > \lambda_{\text{bestnode}}$ :
     $\Gamma.$  remove(best_node);
     $\Gamma.$  add( $u$ );
if Count%0:
    nodes_not_in_ $\Gamma = [e \text{ for } e \text{ in } S \text{ if } e \text{ not in } \Gamma]$ 
    if nodes_not_in_ $\Gamma$  is empty:
        break;
    else:
         $e = \text{SelectRandomNode}(\text{nodes\_not\_in\_}\Gamma);$ 
         $g = \text{SelectRandomNode}(\Gamma);$ 
         $\lambda_{\text{replace}} = \text{ComputeMinEigenvalue}(\mathbf{A}, \Gamma - \{g\} + \{e\});$ 
         $\lambda_{\text{origin}} = \text{ComputeMinEigenvalue}(\mathbf{A}, \Gamma);$ 
        if  $\lambda_{\text{replace}} > \lambda_{\text{origin}}$ :
             $\Gamma.$  remove( $g$ );
             $\Gamma.$  add( $e$ );
return  $\Gamma.$ 

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